Robust Control of DC Motor Using Fuzzy Sliding Mode Control (FSMC)

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Abstract. Wide amplitude, DC motor's speed and their facile control cause its great application in industries. Generally the DC motors gain speed by armature voltage control or field control. The suggestion method in this paper is using sliding mode fuzzy control for DC motors robust control. The result is showing by use of this method we can't see any oscillation in responses and the time for reaching the normal speed is very short.

Introduction

There are variety methods for DC motors control that are presented since now. The presented methods for DC motors control are divided generally in three groups. Classic methods such as PID PI controllers. \cite{1, 2}.

Modern methods (adaptation-optimum,...) \cite{3,4,5} . Artificial methods such as neural networks and fuzzy \cite{6, 7} theory are the presented methods for DC motors speed control.

The design method in linear control comprise based on main application the wide span ' of frequency, linear controller has a weak application, because it can't compensate the nonlinear system effect completely.

MODEL OF A DC MOTOR

The direct current motors are different kinds and several methods are presented for controlling of their speed. in this essay DC motor was chosen for speed control and by controlling the supply voltage was controlled it in nominal less speed.

The electric circuit of the armature and the free body diagram of the rotor are shown in fig. 1

Figure 1: The structure of a DC motor

\begin{align*}
V_I & = R_aI_a + L_a \frac{dI_a}{dt} + E_a \quad (1) \\
T & = J \frac{d\omega}{dt} + B\omega - T_i \quad (2) \\
T & = K_fI_a \quad (3) \\
E_a & = K_a\omega \quad (4) \\
\frac{d\omega}{dt} & = \varphi \quad (5)
\end{align*}

With the following physical parameters:
Ea: The input terminal voltage (source), (v);
Eb: The back emf, (v);
Ra: The armature resistance, (ohm);
Ia: The armature current (Amp);
La: The armature inductance, (H);
J: The moment inertial of the motor rotor and load, (Kg.m2/s2);
T: The motor torque, (Nm)
w : The speed of the shaft and the load (angular velocity), (Rad/s);
f : The shaft position, (Rad);
B: The damping ratio of the mechanical system, (Nms);
Tk: The torque factor constant, (Nm/Amp);
Bk: The motor constant (v-s/rad).
Block diagram of a DC motor is shown in fig. 2 [8].

![Block diagram of a DC motor](image)

Figure 2: The block diagram of a DC motor

At first we control the DC motor by PID controller in fig. 3

![PID controller block diagram](image)

Figure 3: The block diagram of a PID controller dc motor

The results are based on fig. 4

![Simulated results PID controller of DC motor](image)

Figure 4: Simulated results PID controller of DC motor

the step response is proportionately a good response. Now with this controller we examine the step response of DC motor with uncertainly. (fig 5)

![Simulated results PID controller of DC motor with uncertainties](image)

Figure 5: Simulated results PID controller of DC motor with uncertainties

You can see that the system's response to uncertain motor is not proper response.
SLIDING MODE CONTROLLER

Nonlinear system control that its model isn't clear carefully works with tow methods: resistant control methods comparative control methods. In control view, uncertainly in modeling is divided in two main kinds: Non certainly in existent Parameters in model. Estimating the lower step for system and being UN modeled dynamics in estimating model. Sliding control is one of the designed modes for robust control that make access to system desired application estimating system in model. The major idea of this method is the controlling of nonlinear first grade system is easier than n grade system control in spite of uncertainly. But this function maybe cause the control law with more energy that is not practicable implement. Sliding mode is really compromise between modeling and suitable operation with inaccurate design.

We consider the non linear system model in this rule:

\[ X^n = f(x) + b(x)u \]  

That \( F(x) \) is nonlinear function, its high boundary characterized as \( X \) function. \( B(x) \) is a continuous function that its high and low boundaries characterized by \( X \) function. The good of finding \( X \) is in this way that in \( g(x)F(x) \) function we can follow the desirable mode in spite of uncertainly.

\[ \ddot{X} = X - X_d = [\ddot{x}, \dot{x}', ..., \ddot{x}^{n-1}] \]  

In ideal state

\[ \ddot{X} = 0 \]  

Sliding surface equation defines as below:

\[ s = e' + \alpha_1 e + \alpha_2 \int e \, dt \]  

Because of the signals of control that gain with this designing method has limited energy, it is necessary to:

\[ X_d(0) = X(0) \]  

in other word:

\[ S(X, t) \equiv 0 \]  

\[ \frac{1}{2} \frac{dS^2}{dt} \leq -\eta |S| \]  

in designing, the control low on \( S(t) \) continuously is noticed because we should concentrate to carelessness in model in sliding surface and reduced the chattering effect.

We can write the system's dynamics when in some situation they are in sliding state.

\[ S' = 0 \]  

The gained control signals for this system are as below:

\[ U = k_1 \times \text{out}_{\text{fuzzy}} + S \]
DESIGN OF FUZZY PID SLIDING MODE CONTROLLER

Fuzzy controls are designed based on created sliding surface and sliding surface changes. All of the fuzzy rules collection came in Table I [8].

Table I. Fuzzy rule base

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<tr>
<th>$dS / S$</th>
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Fig. 7 Membership functions for ($s$) normalized inputs

Fig. Membership functions for ($ds/dt$) normalized inputs

Fig. 7 Membership functions for (Kfuzz) normalized outputs

Simulation

Figure 8: Simulated results FSMC of DC motor

Figure 9: Simulated results FSMC of DC motor with uncertainties
CONCLUSION

In this paper, a robust control system with the fuzzy sliding mode controller and the additional compensator is presented for a DC motor position control. According to the simulation results, the FSMC controllers can provide the properties of insensitivity and robustness to uncertainties and external disturbances, and response of the DC motor for FSMC controllers against uncertainties and external disturbance is the same Fuzzy sliding mode controller gives a better response to system than the fuzzy and classical PID controllers. If \( \alpha_1, \alpha_2, k_1 \) control parameters set suitably.

References

[1] Paul I-Hai Lin, Santai Hwang and John Chou, "COMPARISON ON FUZZY LOGIC AND PID CONTROLS FOR A DC MOTOR POSITION CONTROLLER" Indiana-Purdo University Fort Wayne.


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